

An injection scheme with non-disturbance to stored beam

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Overview

- Introduction
 - ➤ Issue
 - Injection Schemes
- Our injection scheme
 - Non-disturbance injection
 - Principle
 - Example
- Conclusion
 - Summary
 - Future work







Top-up Injection Schemes

- On-axis injection
 - Swap-out injection
 - Smallest aperture
 - Another storage ring needed
 - Longitudinal injection
 - Non-disturbance to stored beam
 - Dipole kicker shorter than bunch space
- Off-axis injection
 - Bumped orbit injection
 - Dipolar oscillation
 - Require sufficient aperture
 - Pulse multipole kicker injection
 - Theoretical non-disturbance to stored beam
 - Simple injection system and required no high technical kicker
 - Time jitter for kickers

Non-disturbance injection scheme

- Off-axis
- Consisting
 - Septum dipole magnet
 - Pulse dipole kicker
 - Installed in the vacuum chamber
 - Stored beam face no magnetic field
- Injected beam transported into the acceptance of the storage ring
- Merge into stored beam after the damping effect



Principle of non-disturbance injection

x'

x

 $\Delta x'$

φ

- Beam transportation and Courant-Snyder invariant
- Injected beam and stored beam
- Injection point and kicker point
- Certain phase advance and constant invariant
- A kick $\Delta x'$ and reduced invariant
- Smaller enough than the accelerator acceptance
- Injected beam may be captured



Two-dimensional distribution of flux density

- Installed in the vacuum chamber
- Dipole kicker with conductive plate
- Injected beam through the gap and receive a kick
- Enter the field-free chamber
- Stored beam transportation
- Aperture : 1 mm





Radial distribution of dipole kicker magnetic field

- Radial size is 20 mm ,installed Inside the vacuum chamber
- 0-13.32 mm, magnetic field is zero
- 14.6-16.6 mm, magnetic field is about 300 Gauss. Ongoing work, 400 Gauss now.
- Radial size is 20 mm in this figure, 6 mm now,
- 3 mm is planning to do.





- Transfer matrix between any two points
- Injection point and kicker point $\alpha = 0$

$$M(s_{2}/s_{1}) = \begin{bmatrix} \sqrt{\frac{\beta_{2}}{\beta_{1}}} (\cos \Delta \varphi_{1,2} + \alpha_{1} \sin \Delta \varphi_{1,2}) & \sqrt{\beta_{1}\beta_{2}} \sin \Delta \varphi_{1,2} \\ -\frac{(1 + \alpha_{1}\alpha_{2}) \sin \Delta \varphi_{1,2} + (\alpha_{2} - \alpha_{1}) \cos \Delta \varphi_{1,2}}{\sqrt{\beta_{1}\beta_{2}}} & \sqrt{\frac{\beta_{1}}{\beta_{2}}} (\cos \Delta \varphi_{1,2} - \alpha_{2} \sin \Delta \varphi_{1,2}) \end{bmatrix}$$

The relationships

- *i* : injection point, *k*: kicker point
- φ_{i-k} :phase advance from injection to kicker
- From equation, Injection needs big β_i function
- With proper β_k and φ_{i-k}

$$x_k = x_i \sqrt{\frac{\beta_k}{\beta_i}} \cos \varphi_{i-k}$$

$$x'_k = -\frac{x_i}{\sqrt{\beta_i \beta_k}} \sin \varphi_{i-k}$$





- $x_i = 10 mm$,
- $\beta_i=20~mm$, $\beta_k=5~mm$
- $\varphi_{i-k} = 60^{\circ}$
- Then

•
$$x_k = 0.010 \times \sqrt{\frac{5}{20}} \times \cos 60^\circ = 0.0025 m$$

• $x'_k = -\frac{0.010}{\sqrt{5 \times 20}} \times \sin 60^\circ rad = 0.000866 rad$



Summary

- Without complex injection system and possible used
 - Septum dipole and dipole kicker
- Non-disturbance to stored beam
 - Field-free chamber
- No time jitter
 - Single kicker



Outlook

- Track of injection
- Three-dimensional magnetic field calculation based on the overall design
- Dipole kicker with bigger angle
- Simulation with energy dispersion
- Prototype design and development
- The lifetime of oxygen-free copper dipole kicker in vacuum chamber



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Thank you for your attention!