

Monte-Carlo simulation of processes with heavy neutrino exchange on lepton colliders

Author: Egor Vasenin, LPI RAS, MIPT

Scientific Advisor: Alexey Drutskoy

Moscow International Physics School, Young Scientist Forum, February 28 — 6 March 2024

Seesaw Type I model

Model includes right-handed Heavy Neutral Leptons (Majorana), 3HNL : N_1, N_2, N_3

$$L = L_{SM} + L_N + L_{WNI} + L_{ZN\nu} + L_{HN\nu}$$

Neutrino mass matrix with Majorana and Dirac terms, y_D — Yukawa coupling matrix:

$$M_\nu = \begin{pmatrix} 0 & M_D \\ M_D^T & M_N \end{pmatrix}, \quad M_D = y_D v / \sqrt{2}, \quad m_\nu \approx -M_D M_N^{-1} M_D^T$$

Small masses of active neutrinos can be obtained with large M_N (HNL mass) parameters of Majorana term, e.g.

if $M_N = 100$ GeV and $y_D = 10^{-6}$ $m_\nu = 0.1$ eV — Seesaw mechanism

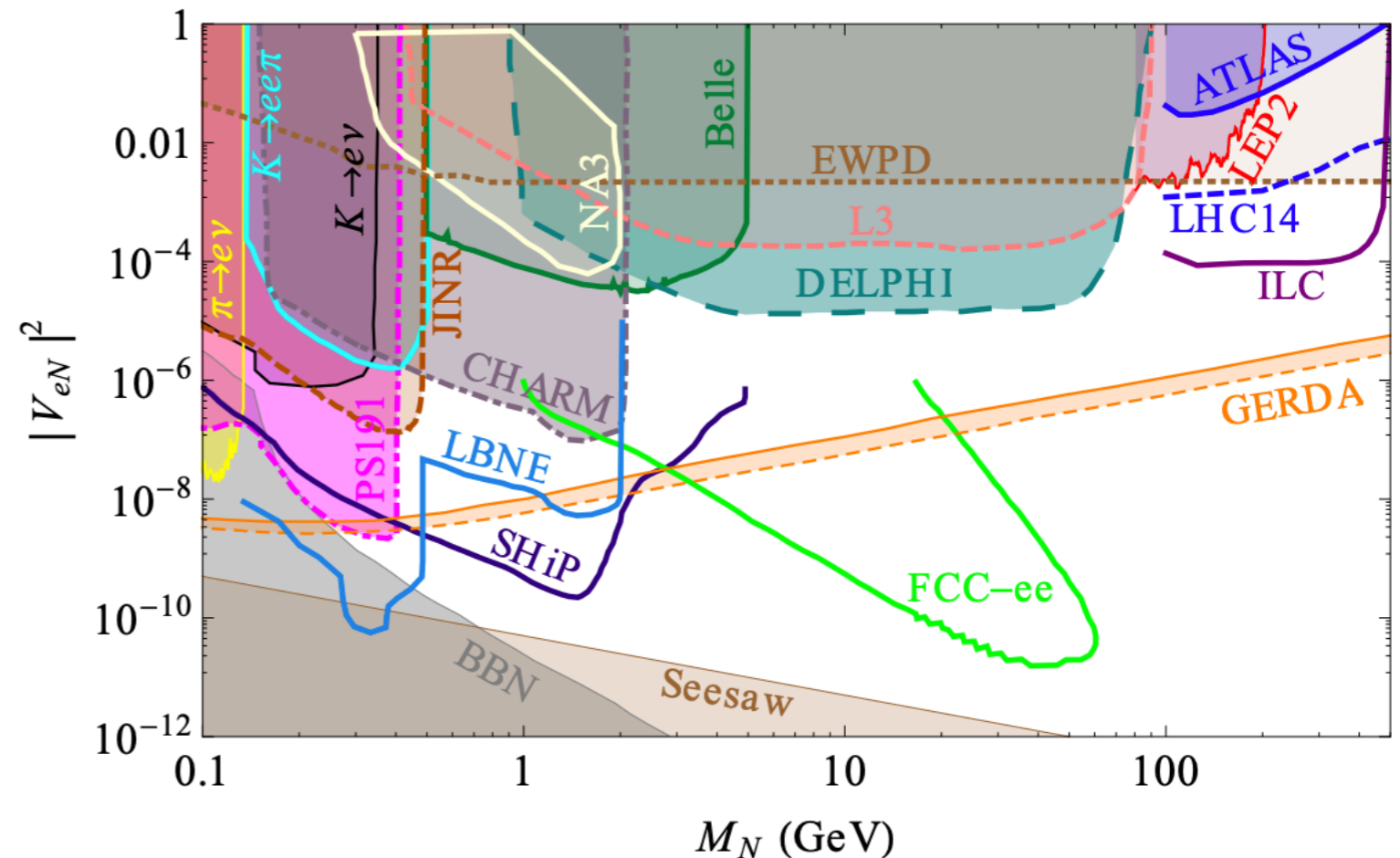
V_{lN} (neutrino mixing parameter) and M_N are parameters of model.

Experimental limits on mixing parameters.

Area of small masses is limited by decays of K-mesons, B-mesons and Z-bosons

LHC current limits and future estimates have weak upper limits larger than 90 GeV

Neutrinoless double beta decay limit (GERDA) can be circumvented in some models for large M_N



[arXiv:1502.06541](https://arxiv.org/abs/1502.06541)

$$e^- e^- \rightarrow W^- W^-$$

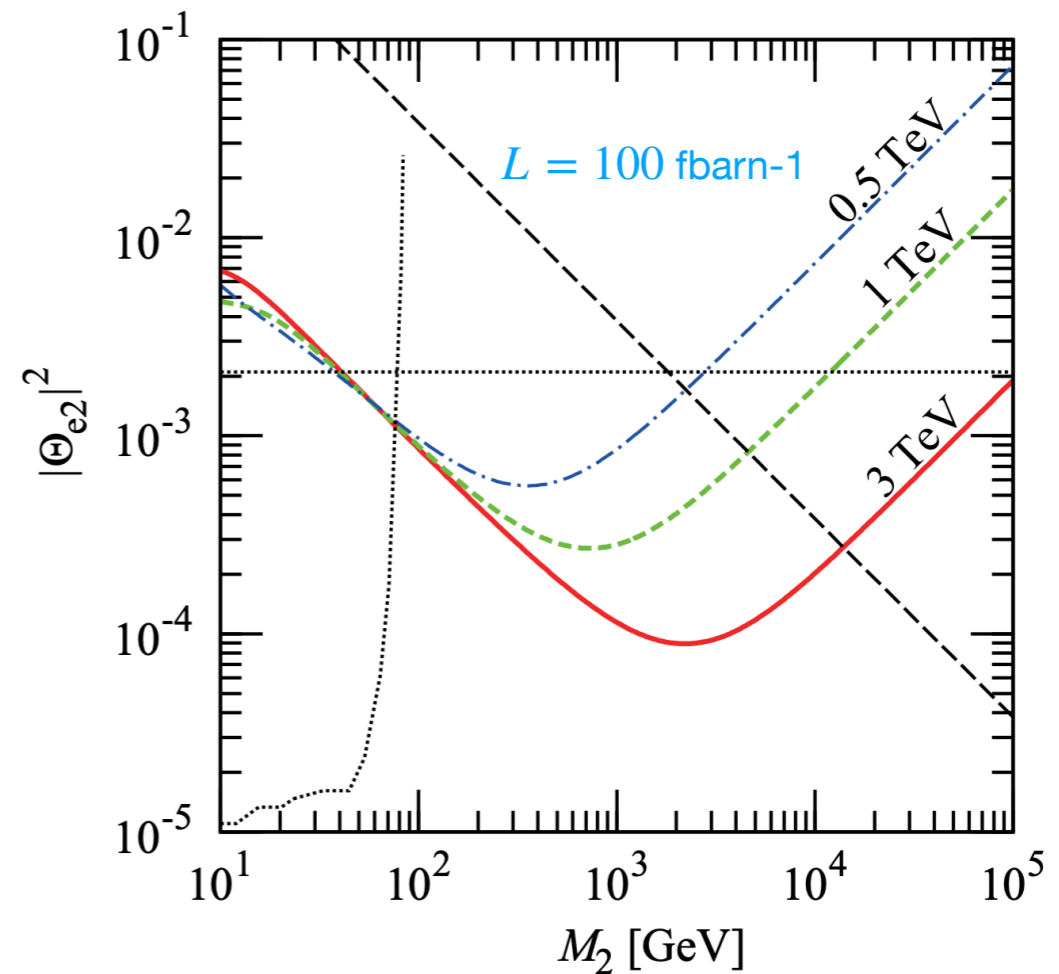
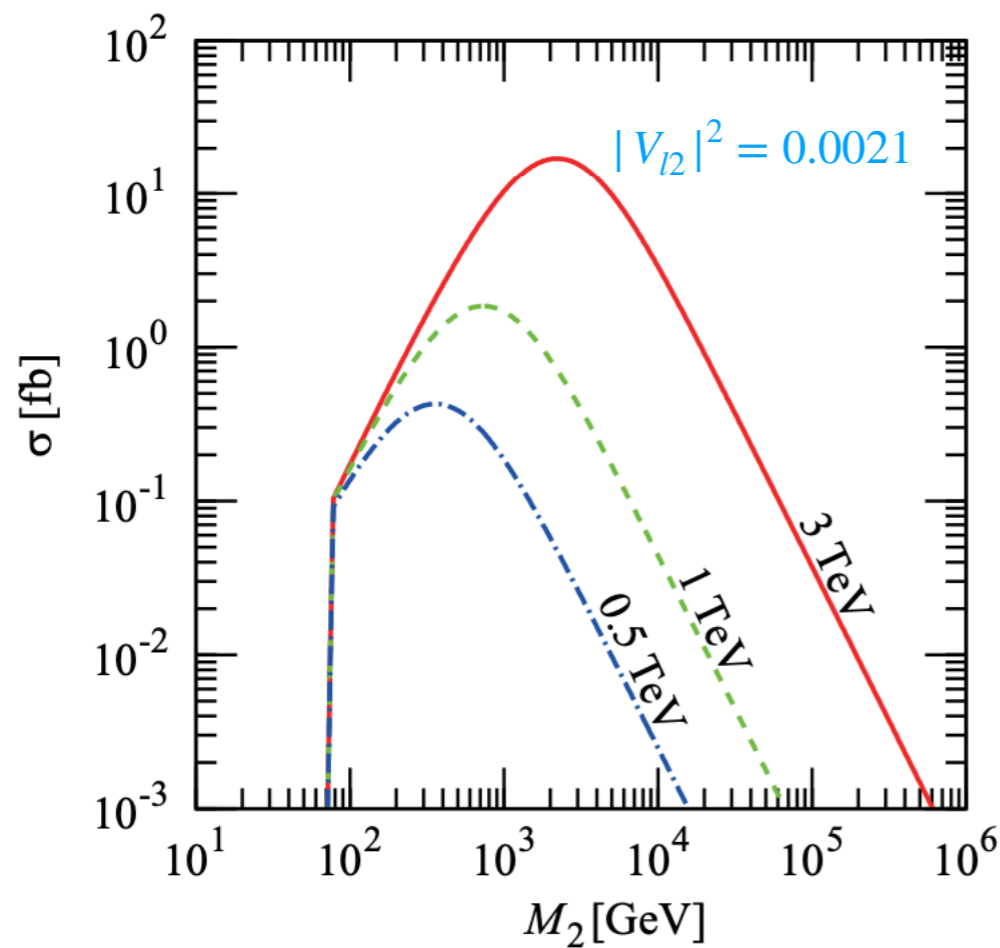
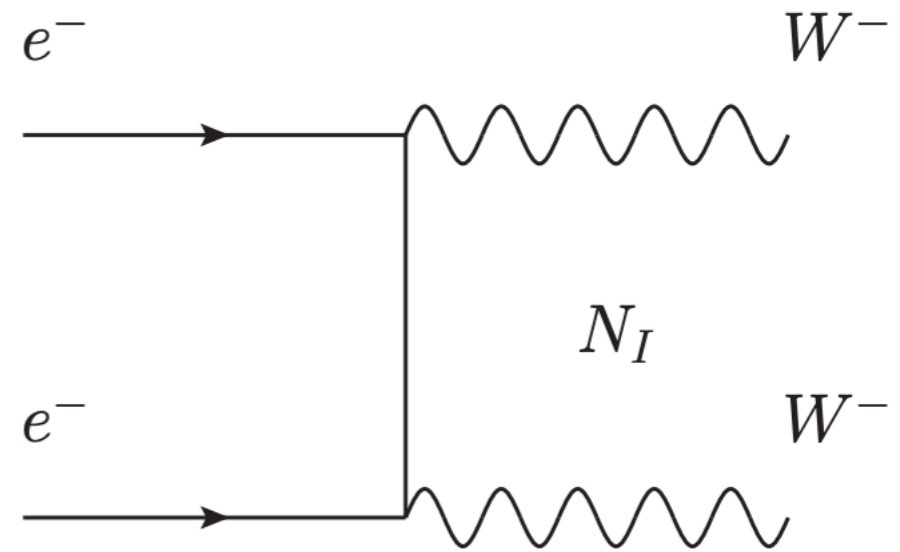
$$\Delta L = 2$$

Clean hadronic final state $W(2j)$ with 4 jets

No backgrounds from Standard Model

Sensitivity to large M_N

This process is widely studied by many articles



arXiv:1508.04937

$$e^-e^+ \rightarrow W^-W^+, W^\pm \rightarrow 2j$$

Future colliders are planned for opposite-sign lepton beams

We study 4 jets final state

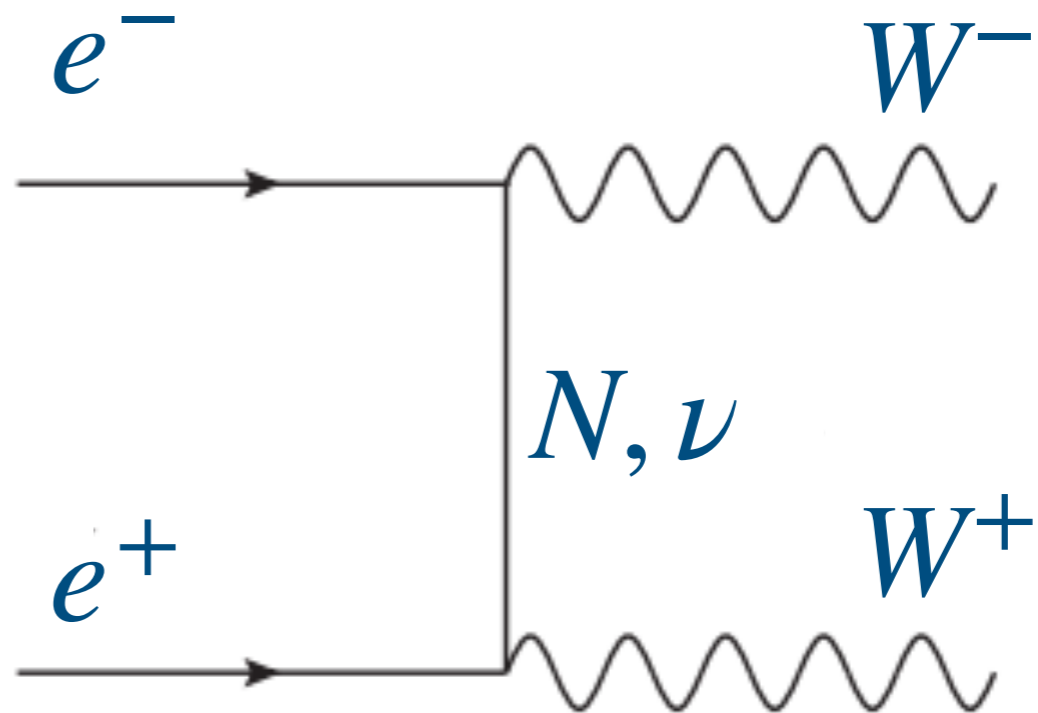
We assume that only one neutrino contribute in process

This process was not studied before

Event generation: Whizard 3

Hadronisation: Pythia6

Detector simulation and event reconstruction: Delphes/ILC card



Backgrounds and cuts

Standard Model processes with 4 jets in final state:

$$e^+e^- \rightarrow W^+W^-$$

$$e^+e^- \rightarrow W^+W^- \nu_e \bar{\nu}_e$$

$$e^+e^- \rightarrow q\bar{q}$$

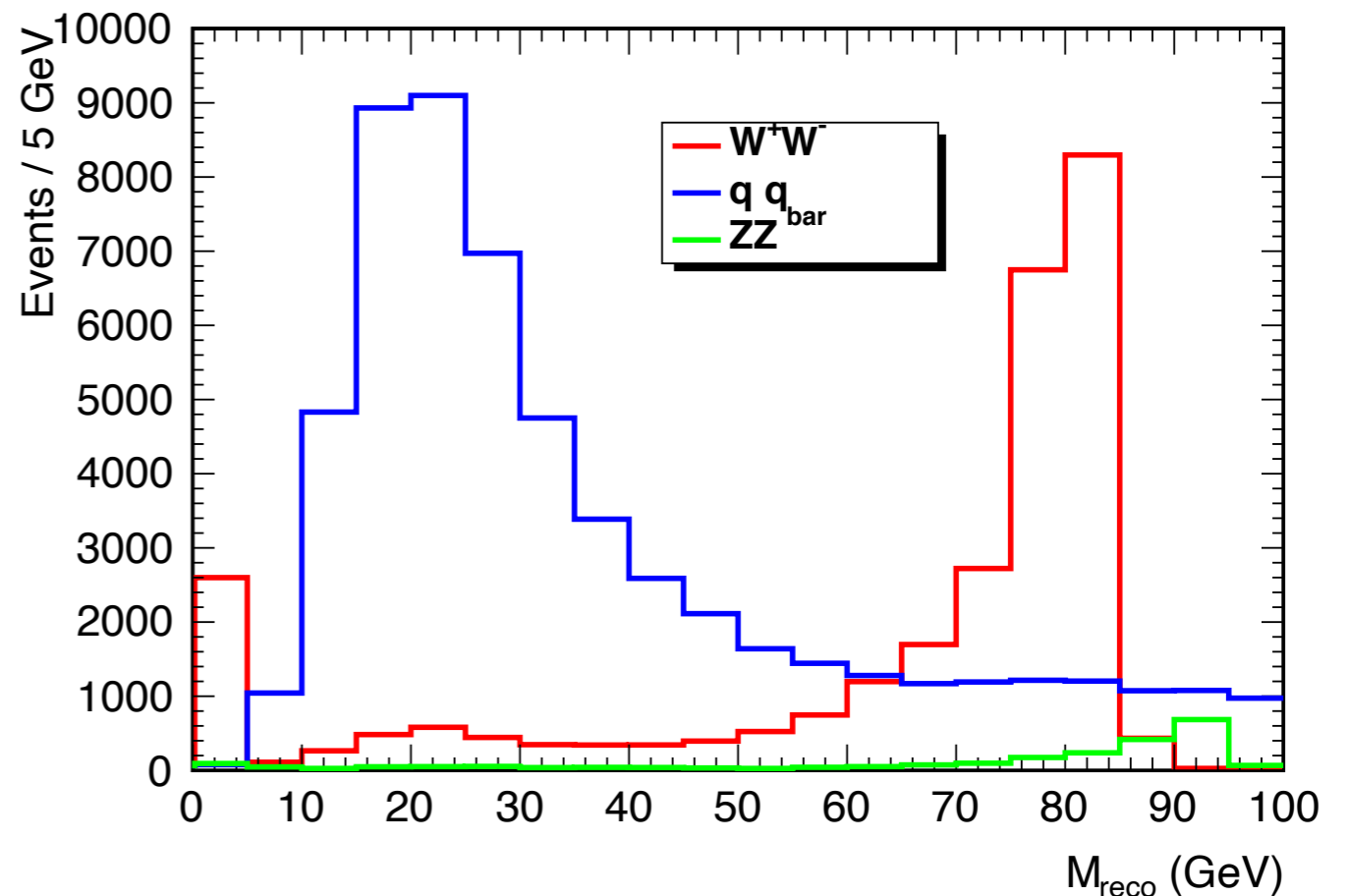
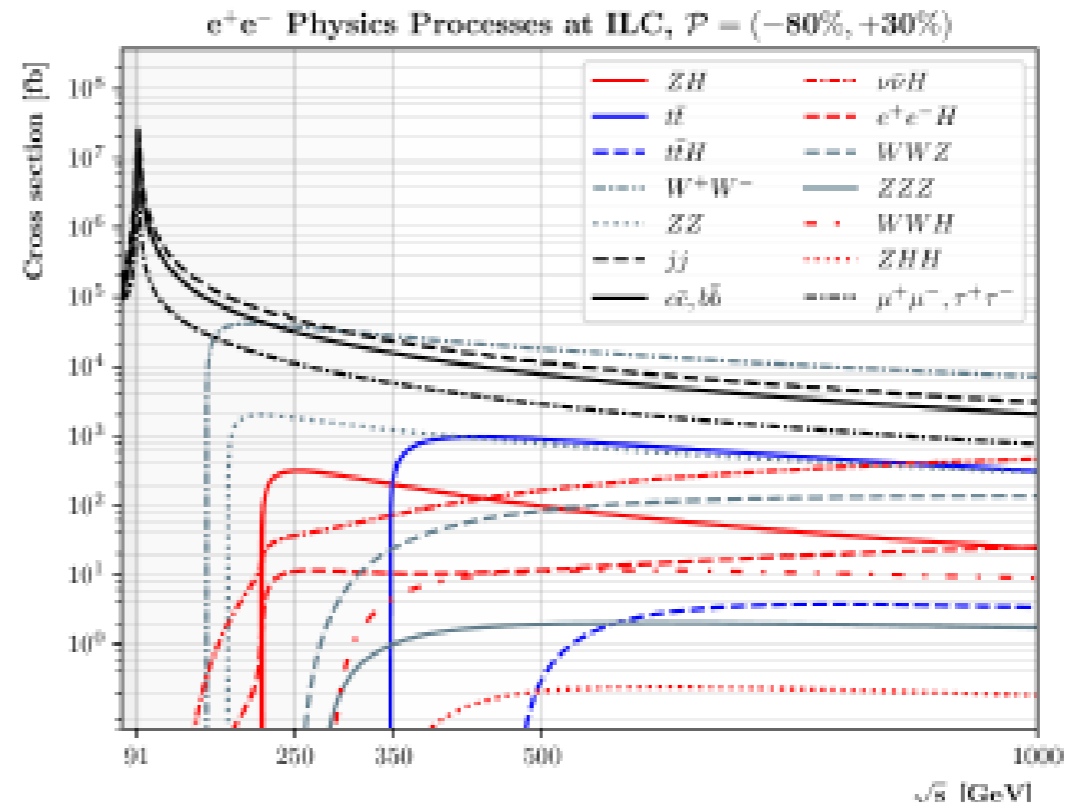
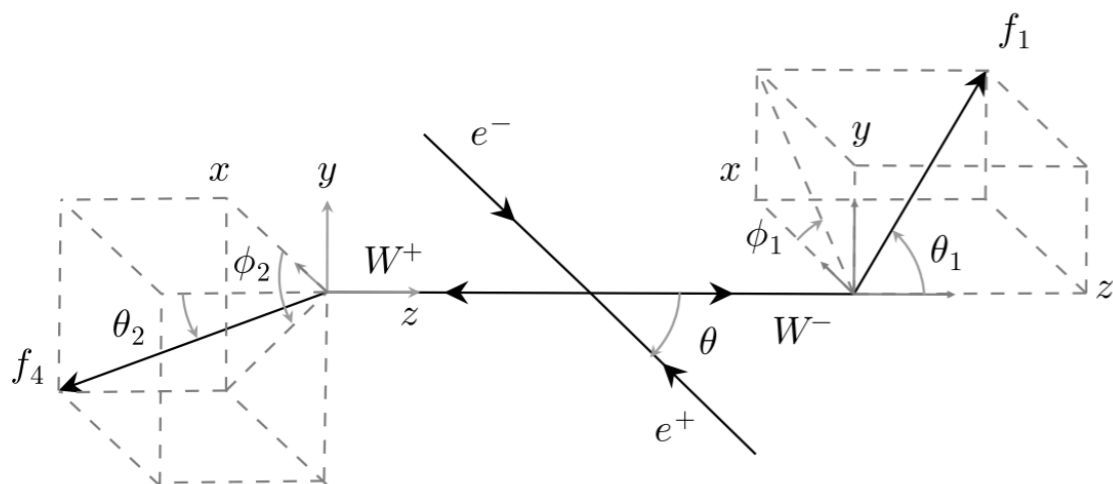
$$e^+e^- \rightarrow ZZ$$

$$70 \text{ GeV} < M_{\text{reco}} < 90 \text{ GeV}$$

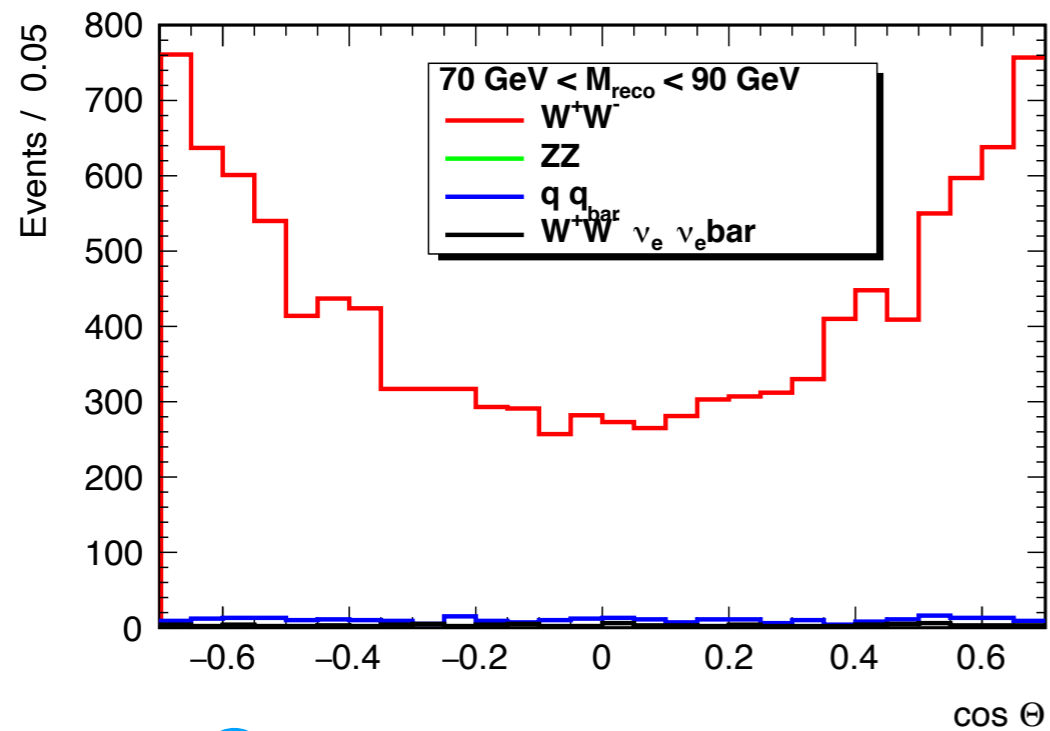
$$\cos \Theta < 0.7$$

$$p_x, p_y \text{ balance} < 20 \text{ GeV}$$

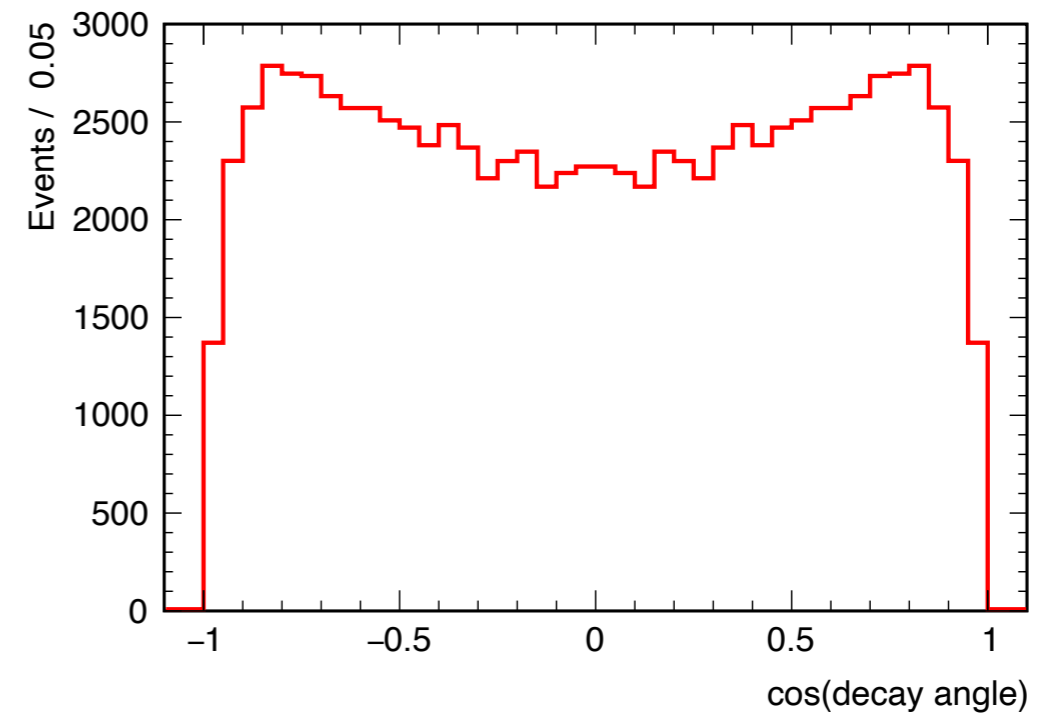
$$\cos \Theta_{\text{decay}} < 0.85$$



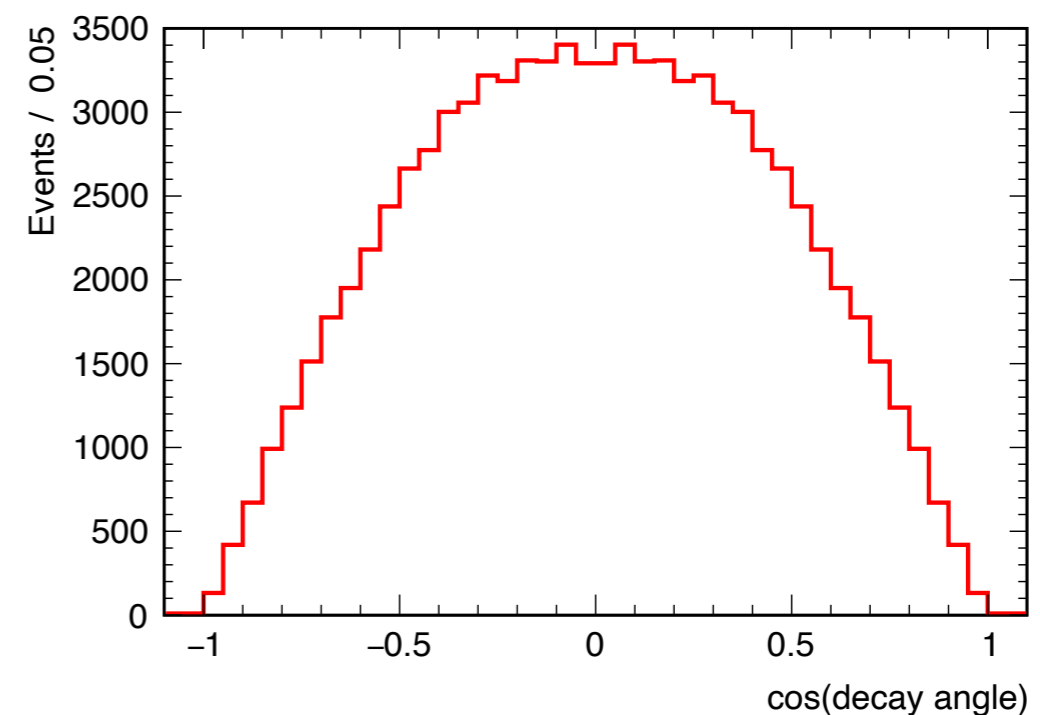
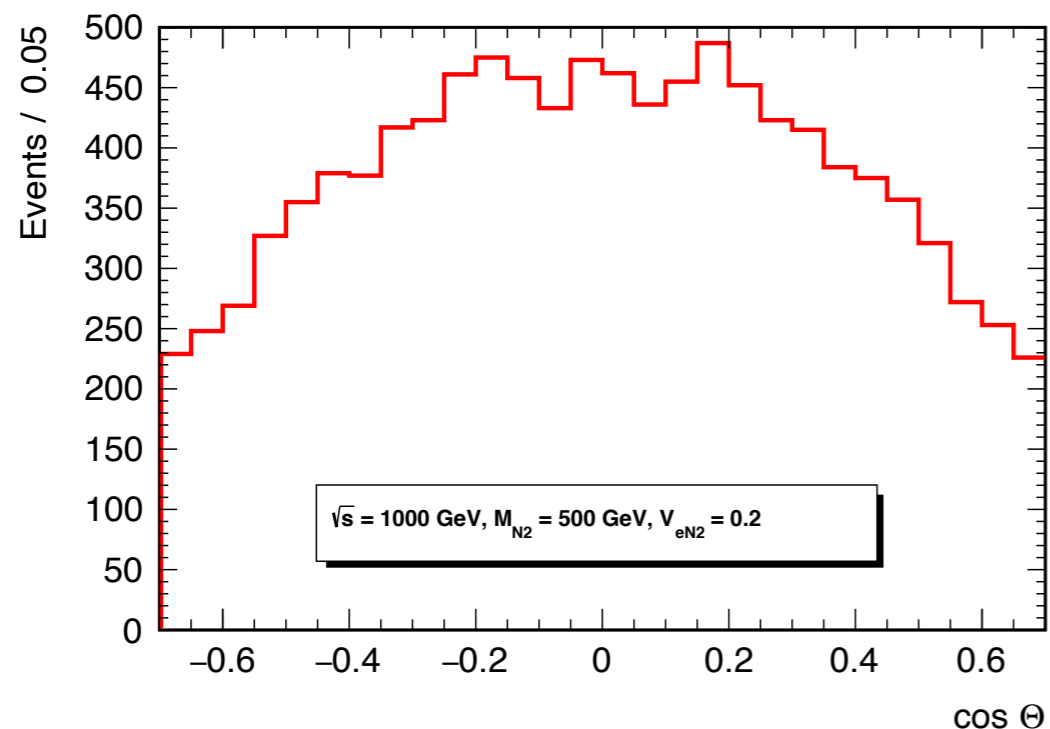
Angular distributions



cos Θ for pure SM (up) and pure HNL signal (down)



cos decay for pure SM (up) and pure HNL signal (down)



Jets reconstruction

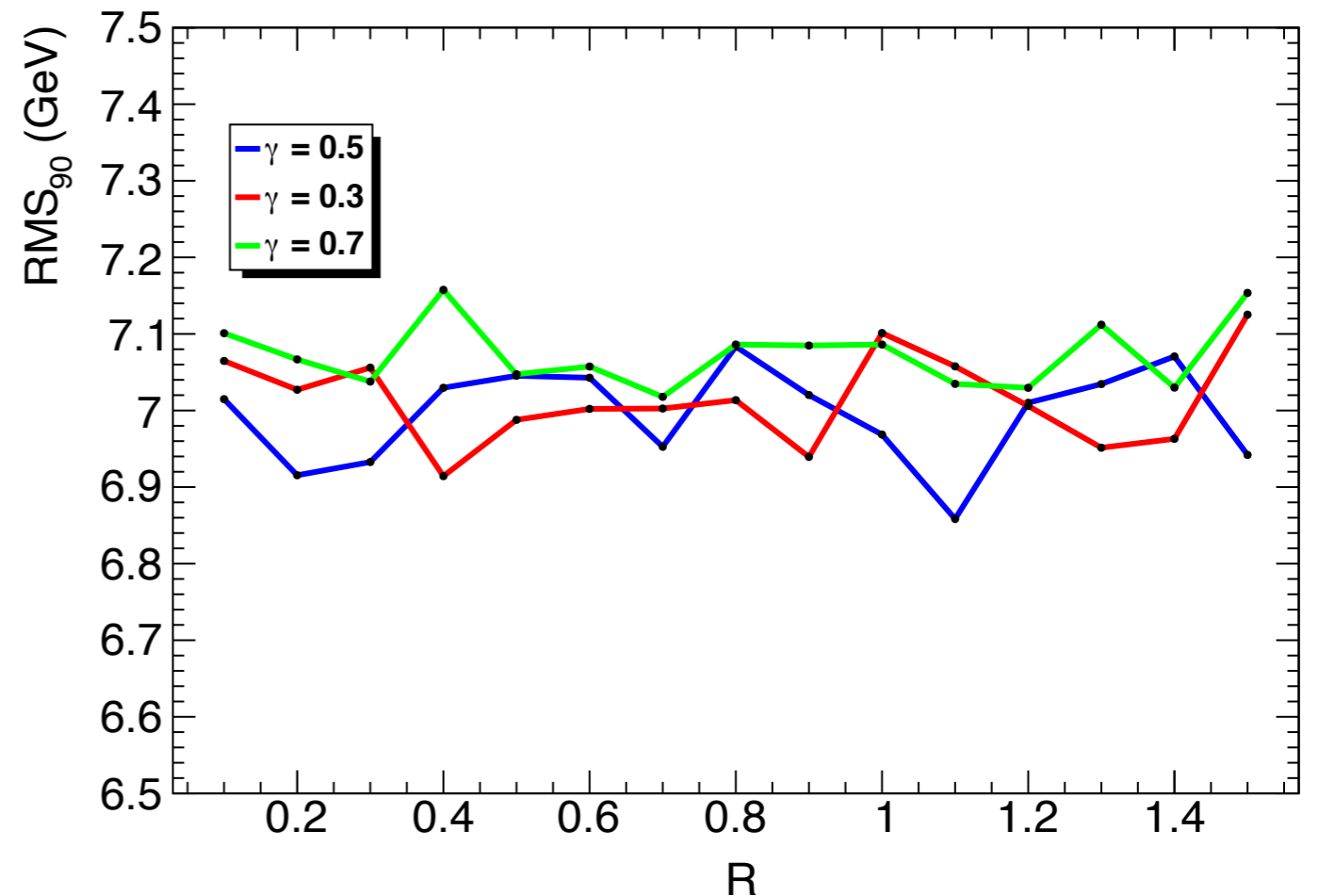
Valencia algorithm
(arXiv:1404.4294,
arXiv:1607.05039):

$$d_{ij} = 2 \min(E_i^{2\beta}, E_j^{2\beta})(1 - \cos \Theta_{ij})/R^2$$

$$d_{iB} = E_i^{2\beta} \sin^{2\gamma} \Theta_{iB}$$

Dependence on parameters is
negligible in our reconstruction

$$\text{RMS}_{90} = \sqrt{|M_{\text{mean}}^2 - (M_{\text{mean}})^2|}$$



We take $R = 1.0$, $\beta = 1.0$, $\gamma = 0.5$

Results

$e^+e^- \rightarrow W^+W^-$ (unpolarised beams)
at $\sqrt{s} = 1$ TeV and $L = 1$ attobarn $^{-1}$

SM and SM+HNL fit datasets and
SM+HNL analysis dataset generated for
different mixing parameters and masses

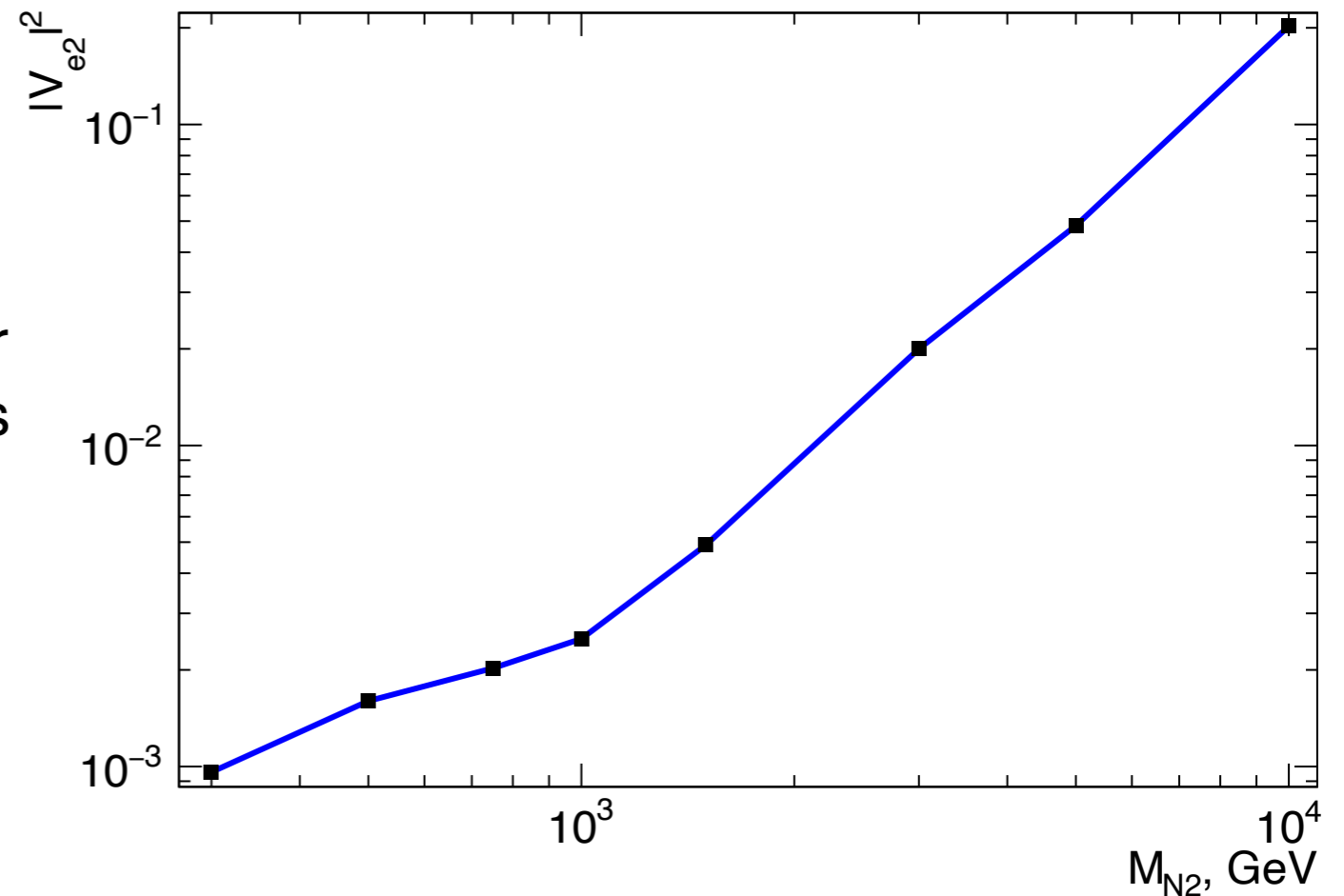
PDFs of 3 angles fitted for SM and
SM+HNL histograms on fit datasets

$$\text{Significance} = -2 \ln \frac{L_{\text{SM}}}{L_{\text{HNL}}}$$

Evidence — significance = 3σ

$$L_{\text{HNL}} = \text{Poiss}(N_{\text{analysis}} | N_{\text{HNL expected}}) \cdot \prod_i \text{pdf}_{\text{HNL}}(x_i)$$

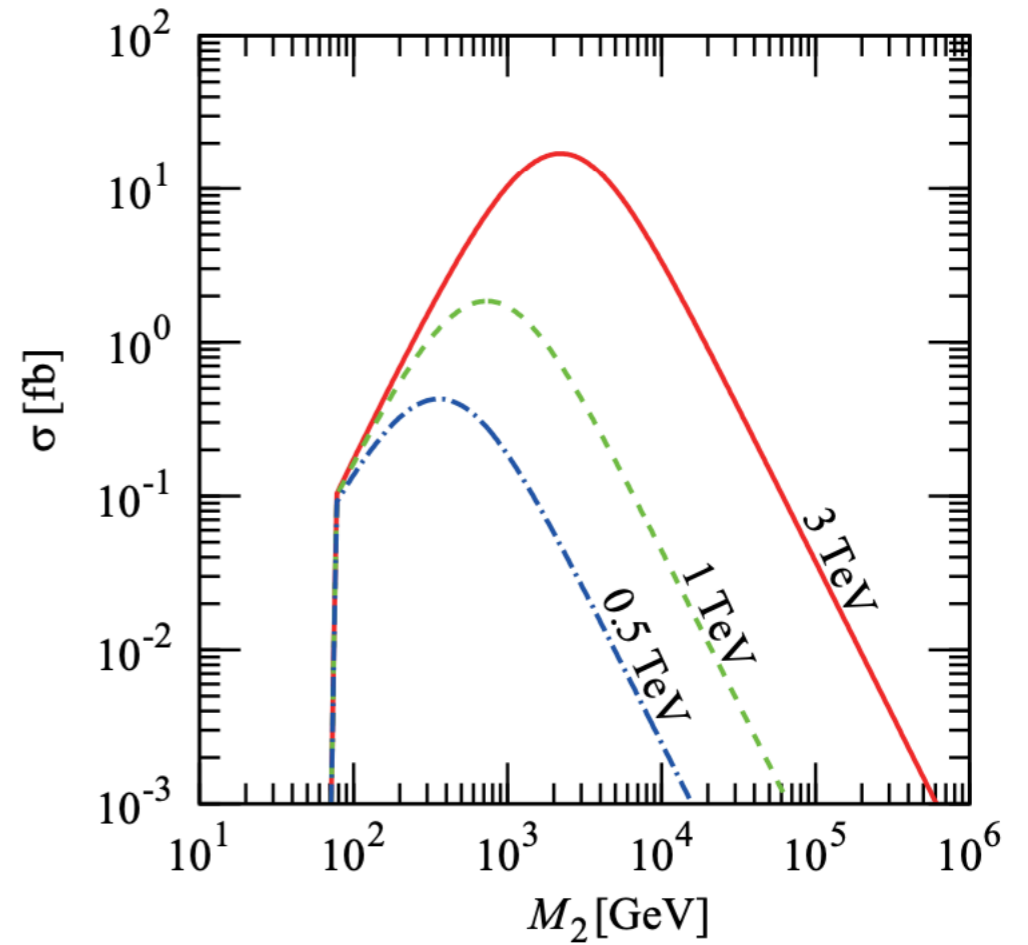
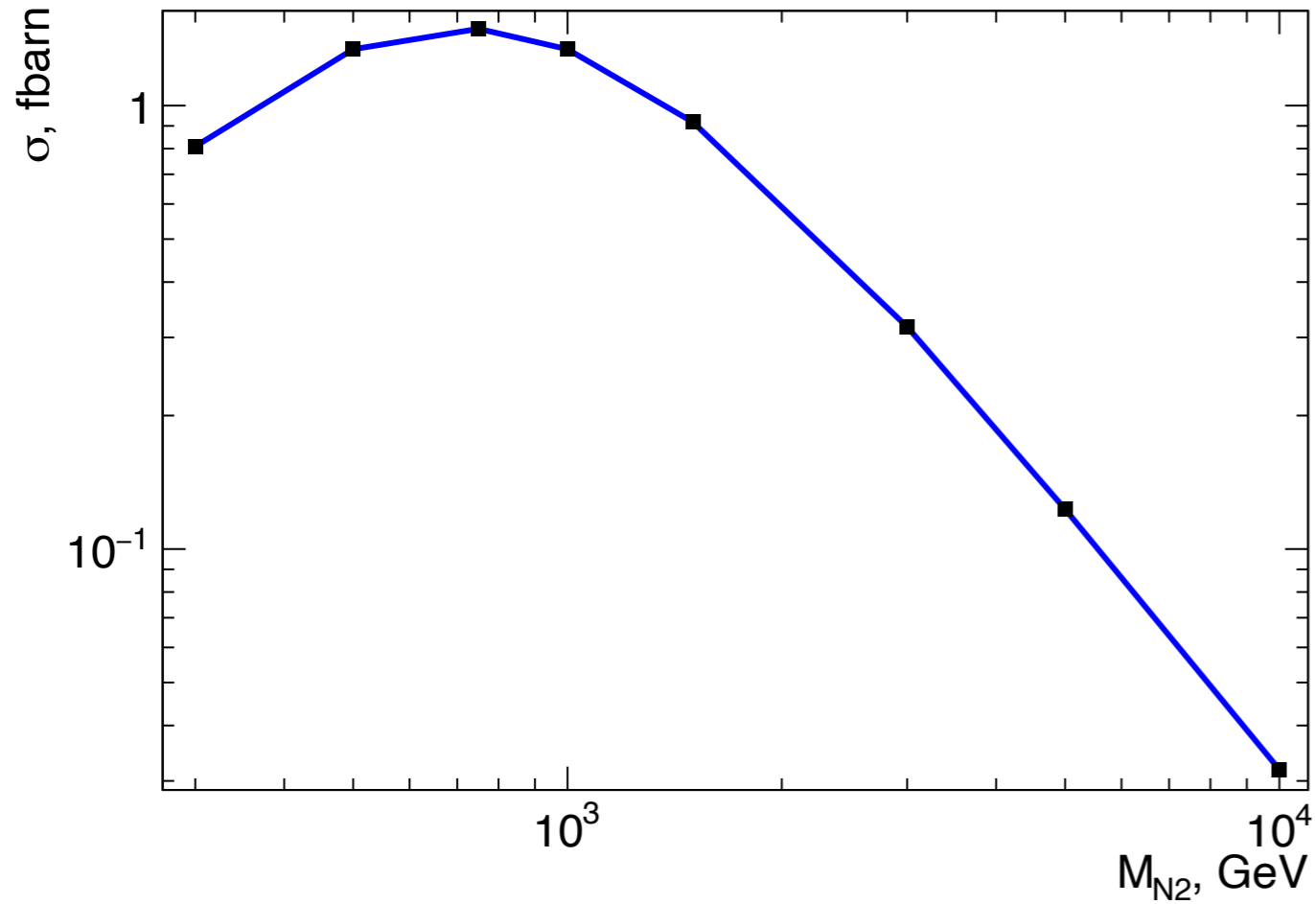
$$L_{\text{SM}} = \text{Poiss}(N_{\text{analysis}} | N_{\text{SM expected}}) \cdot \prod_i \text{pdf}_{\text{SM}}(x_i)$$



Conclusions

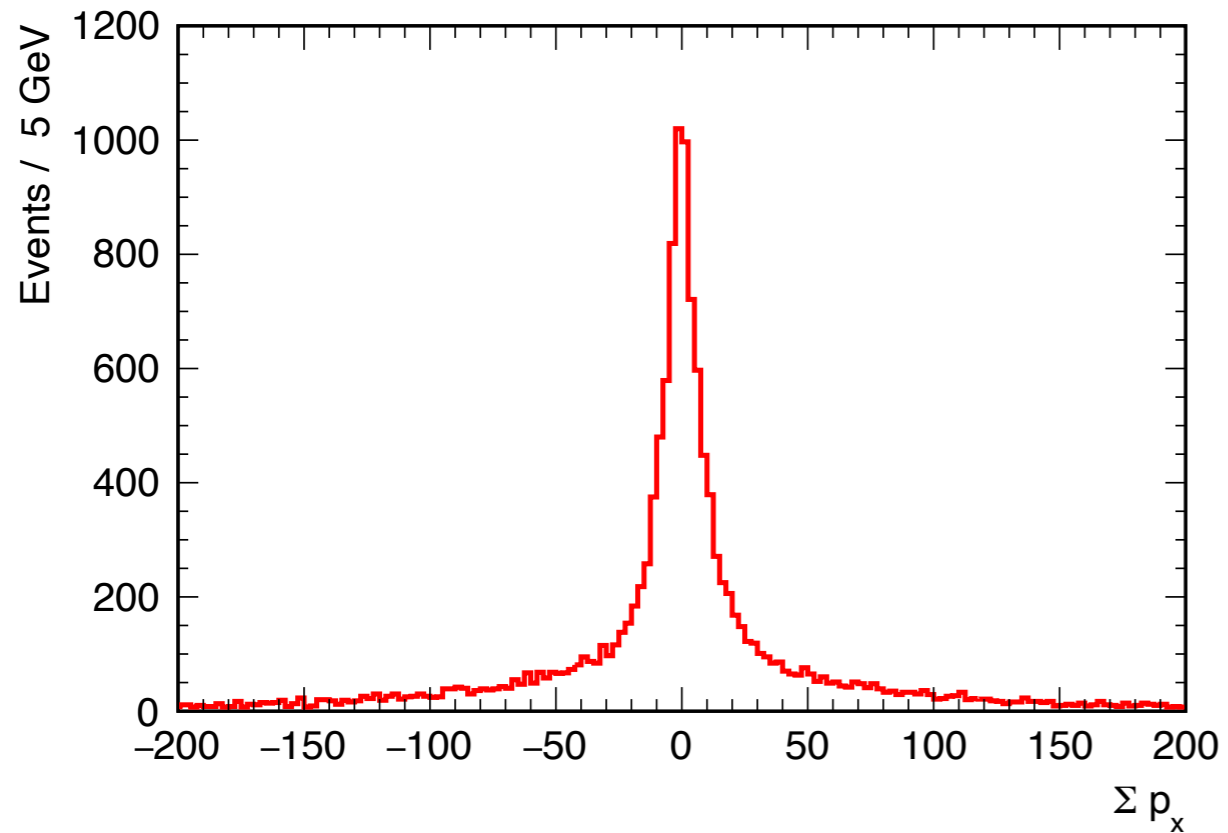
- Future lepton colliders can provide stronger upper limits on mixing parameters for large $M_N > 100$ GeV than existing experiments (LHC and $0\nu\beta\beta$)
- Obtained upper limits can provide strict tests of specific Seesaw Type-I models with not constrained mixing parameter.
- We plan to study process at $\sqrt{s} = 3, 10$ TeV
- First study on that process

Thank you for your attention

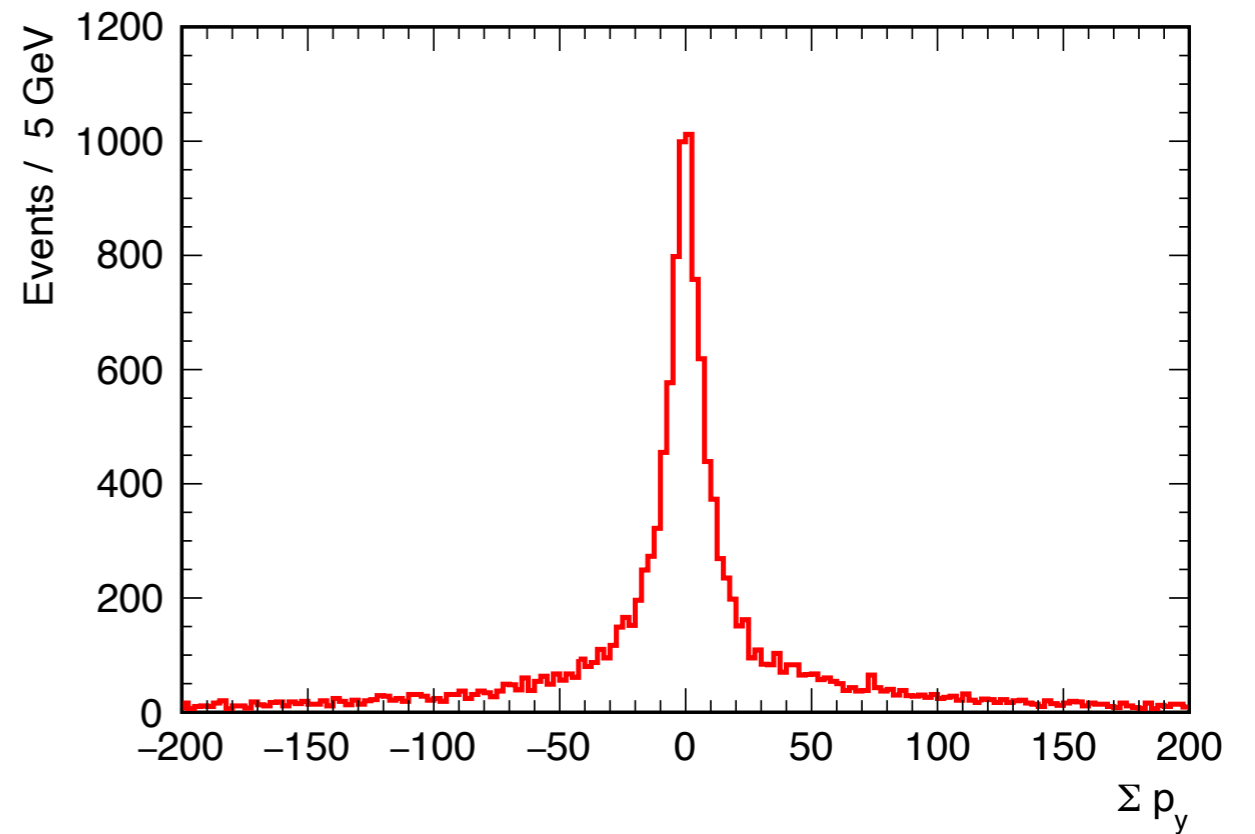


$$|V_{e2}|^2 = 0.0021$$

p_x, p_y balance



px balance



py balance

Angle between planes

